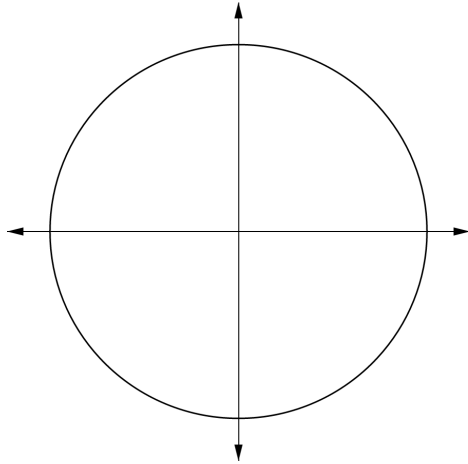


**Section 13 – Topic 3**  
**The Radian Measure – Part 1**

When measuring angles in radians, one rotation around the circle ( $360^\circ$ ) is equivalent to \_\_\_\_\_ radians.



What is the radian measure at  $180^\circ$ ? Label it on the circle.

What is the radian measure at  $90^\circ$ ? Label it on the circle.

What is the radian measure at  $270^\circ$ ? Label it on the circle.

How can we convert degrees to radians?

How can we convert radians to degrees?

**Let's Practice!**

1. Convert  $150^\circ$  into radians.

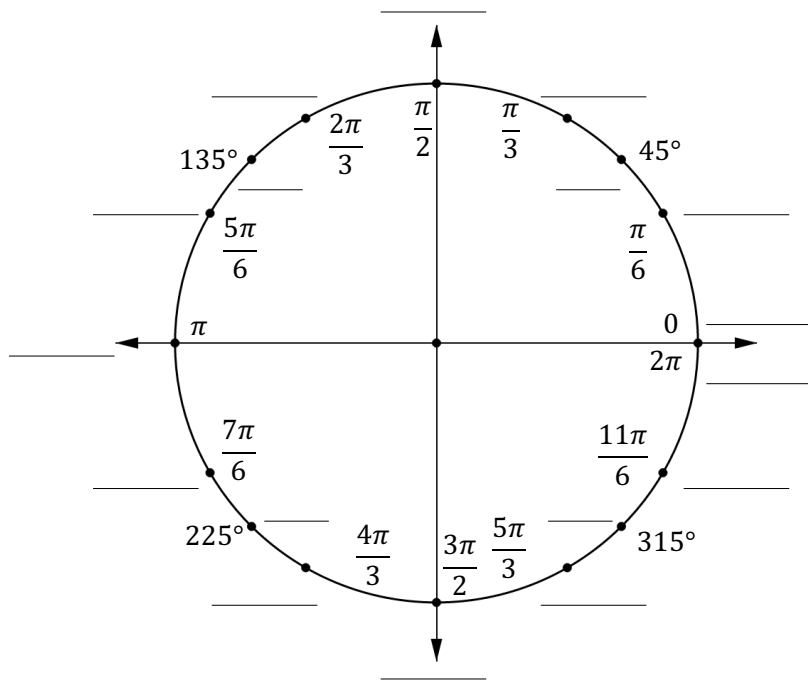
2. Convert  $-\frac{3\pi}{4}$  into degrees.

**Try It!**

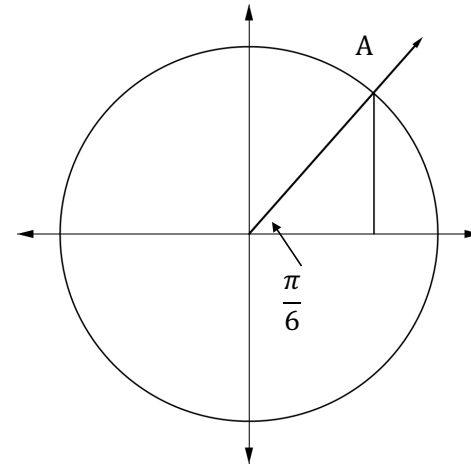
3. Convert  $-225^\circ$  into radians.

4. Convert  $\frac{7\pi}{6}$  into degrees.

Complete the unit circle by providing the missing angle measures (both degrees and radians).



Consider the unit circle diagram below.



Evaluate  $\sin \frac{\pi}{6}$ .

Evaluate  $\cos \frac{\pi}{6}$ .

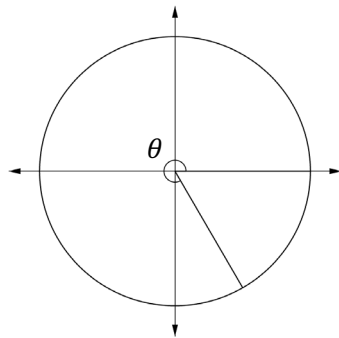
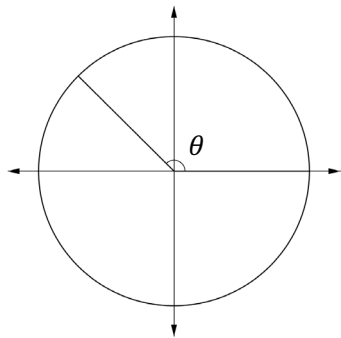
Determine the coordinates of  $A$ .

## Section 13 – Topic 4 The Radian Measure – Part 2

A **reference angle** is an \_\_\_\_\_ angle formed by the terminal side of a given angle and the \_\_\_\_\_.

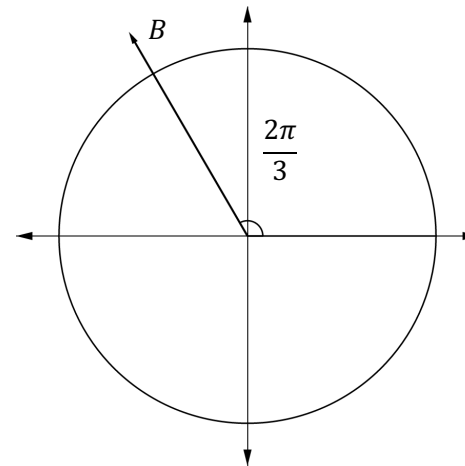
**Reference triangles** can be used to evaluate the trigonometric values of an angle whose terminal side is not in Quadrant \_\_\_\_\_.

Consider the diagrams below. Draw the reference triangles that we could use to find the trigonometric functions for  $\angle\theta$ .



### Let's Practice!

1. Consider the unit circle diagram below.



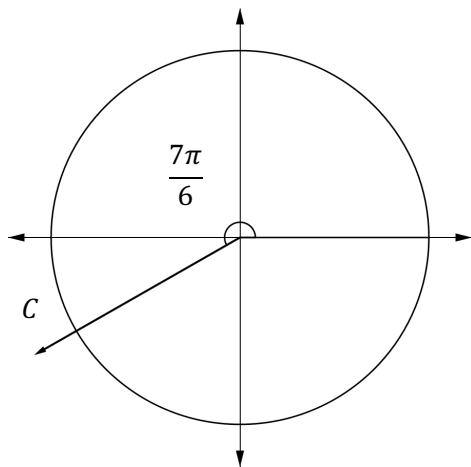
a. Evaluate  $\sin\frac{2\pi}{3}$ .

b. Evaluate  $\cos\frac{2\pi}{3}$ .

c. Find the coordinates of  $B$ .

**Try It!**

2. Consider the unit circle diagram below.



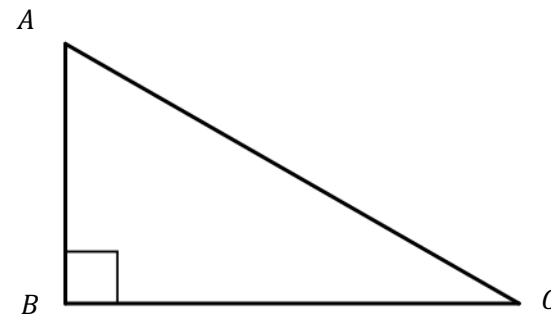
a. Evaluate  $\sin \frac{7\pi}{6}$ .

b. Evaluate  $\cos \frac{7\pi}{6}$ .

c. Find the coordinates of  $C$ .

**BEAT THE TEST!**

1. In  $\triangle ABC$ ,  $m\angle BAC = 60^\circ$  and  $AC = 1$  unit.



Draw triangles in Circle  $A$  to show how  $\triangle ABC$  can be placed in the circle to illustrate  $\sin(\theta)$ , where  $\theta = \pm \frac{\pi}{3} \pm n\pi$  for  $n = 0$  and  $n = 1$ .

